

MULTI - CODE MULTICARRIER CDMA S-ALOHA WITH RANDOM ACCESS SCHEME

**Hoga Saragih¹
Djoko Soetarno²**

Email :
hogasaragih@yahoo.com , djokosutarno@yahoo.com

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Abstract

This paper proposed integrated systems consisting of multi-code multicarrier code-division multiple accesses (MC-MC-CDMA) with random access scheme Slotted ALOHA (S-ALOHA), named multi-code multicarrier CDMA S-ALOHA, respectively. The performance analysis of both systems is stated as throughput. Multi-code multicarrier CDMA S-ALOHA is proposed to improve performance of multi-code CDMA or multicarrier CDMA.

In multi-code multicarrier CDMA S-ALOHA, allowing each user to transmit multiple orthogonal codes, so the proposed MC-MC-CDMA S-ALOHA system can support various data rate, as required by next generation standard. In MC-MC-CDMA S-ALOHA the initial data is serial to parallel converted to a number of lower rate data streams. Each stream which consists of part of initial data called sub-packet will be code to a number of multiple orthogonal code then modulated using specific spreading code for each user, and all sub stream signal are transmitted in parallel on different sub carrier.

The combination of multi-code scheme and multi-carrier code division multiple access (MC-CDMA) and ALOHA, called MC-MC-CDMA S-ALOHA, with dual medium, is proposed and analyzed in AWGN channel. Each medium has different characteristics in data rate transmission. The high-rate bit transmitted data user is serial to parallel converted into low-rate bit streams and assigned with multiple-orthogonal code. Each low-rate bit stream is transmitted over L orthogonal sub-carrier.

In this paper, we divide interference into different types depending on codes and sub-carriers in this system and carry out our analysis to obtain the BER and throughput taking into account all these types.

The performance of the system is improved as the number of assigned codes and sub-carriers increases and also the results show that the proposed MC-MC-CDMA S-ALOHA system outperforms both multi-carrier CDMA S-ALOHA and multi-code CDMA S-ALOHA in fixed bandwidth allocation.

Result show that both systems have higher throughput for high bit rate signal transmission than multi-code CDMA S-ALOHA or multicarrier CDMA S-ALOHA. MC-MC CDMA S-ALOHA. It is also shown that the throughput of both systems improve as the number of code and sub carriers, while the increase of sub packet length degrades the throughput of both systems.

Keywords: *Multiple-access protocols, CDMA, S-ALOHA, Multicode Multicarrier CDMA S-ALOHA.*

¹ Lecturer of Computer Science Graduate Program, Universitas Bina Nusantara
Kampus Anggrek Jl. Kebun Jeruk Raya no 27, Jakarta Barat 11530

² Lecturer of Computer Science Graduate Program, Universitas Bina Nusantara
Kampus Anggrek Jl. Kebun Jeruk Raya no 27, Jakarta Barat 11530

1. Introduction

Future wireless system such as third generation (3G) or fourth generation (4G) will need to flexibly provide subscribers with a variety of services such as voice, data, images, and video. Because this services have widely different data rates and traffic profiles, future generation system will have to accommodate a wide variety of data rates such as low- data rate or high-data rate (multi-rate).

There are two general scheme that used to accommodate the multi-rate system Code Division Multiple Acces (CDMA), that are variable spreading gain (VSG) system scheme and multi-code CDMA scheme [1]. VSG system provides with a variety of spreading gain for every user. The disadvantage of this system is spreading gain fall into very low [2]. The CDMA multi-code system is able to accommodate the variable of data rate which is provide multiple-code and different capacity for each of user. In multi-code system, spreading factor continuously keep in constant. The disadvantage of this system is the increasing of data rate of every user will influence the increasing of interference because the carrier that used to transmit the signal is the same (single-carrier) [3].

CDMA system have some disadvantages such as inter-symbol interference (ISI) and inter-chip interference (ICI) [4]. The multicarrier CDMA scheme (MC-CDMA) is one of approaching to overcome that problems. Essam A. Sourour and his colleagues have been research for the performance of multicarrier CDMA system [4]. Every data user will go through serial-to-parallel converter and then divide into low-rate data stream or low rate data symbol. Every low rate data symbol will transmitted by some subcarrier that have narrowband bandwidth [5],[6]. In [10], BER system multi carrier DS-SS-CDMA and multirate traffic have been researched and analyzed.

The integrated system consisting of multi-code CDMA and multicarrier CDMA called multi-code multicarrier CDMA (MC-MC-CDMA) is widely researched [1],[3]. In [1], research toward the performance of MC-MC-CDMA system for uplink communication. In [3], explain research and analyze about the performance of MC-MC CDMA in single medium. The result show that MC-MC CDMA system is better than multicarrier CDMA system and multi-code CDMA system in a certain bandwidth allocation.

This journal proposed integrated system consisting multi-code CDMA and multicarrier CDMA. And also ALOHA for dual medium traffic or dual-rate traffic. In MC-MC CDMA ALOHA system, every user from all media will be transmitted in multiple-code through some subcarrier according to its data rate. The different characteristics of every media will influence the interference increasing because of code and subcarrier from user in the same medium and also code and subcarrier from user in another medium.

Analyzed parameter is throughput system MC-MC-CDMA ALOHA with dual medium or dual rate traffic in AWGN channel. Assumed system have two medium that have different traffic profile. First user in medium s focused on code m and subcarrier l is a reference. The calculation of throughput based on consideration of interference influencing from code and subcarrier in the same medium and also code and subcarrier in the different medium. In the system also assumed that inter subcarrier and code from user is orthogonal.

The model system MC-MC-CDMA has been explain in section 2. The explanation in section 3 is BER, section 4 is about the interference, section 5 is about MC-MC CDMA ALOHA, section 6 is result and analysis about calculation of throughput and result graphically. The conclusion will be show in section 7.

2. System Model

Transmitted signal from user k and medium s is

$$s_k^{(s)}(t) = \sum_{m=1}^{M_s} \sum_{l=1}^L \sqrt{2P_k^{(s)}} b_{k,m,l}^{(s)}(t) c_{k,m}^{(s)}(t) \cos(\omega_l t + \theta_{l,j}^{(s)}) \quad (1)$$

From equation (1), $P_k^{(s)}$ is transmission power from user to- k and medium s , $c_{k,m}^{(s)}$ is code to- m from user k , ω_l is subcarrier frequency to- l that have initial phase $\theta_{k,l}^{(s)}$, l is the number of subcarrier in a system ($l = 1, 2, 3, \dots, L$), M_s is the number of sequence code that used in medium s , $b_{k,m,l}^{(s)}$ is transmitted data in medium s that reference in code to- m and subcarrier to- l .

$$b_{k,m,l}^{(s)}(t) = \sum_{j=-\infty}^{\infty} b_{k,m,l,j}^{(s)} h(t - jT_s) \tag{2}$$

$$c_{k,m}^{(s)}(t) = \sum_{j=-\infty}^{\infty} c_{k,m,j}^{(s)} h(t - jT_c) \tag{3}$$

$b_{k,m,l,j}^{(s)} \in \{+1, -1\}$ dan $c_{k,m,j}^{(s)} \in \{+1, -1\}$. $h(t)$ is periodic rectangular pulse with duration T_c and T_s . $h(t)$ will be 1 if $0 \leq t \leq T_s$ and will be 0 if $0 > t > T_s$. Frequency equation is orthogonality :

$$\omega_l = \omega_1 + (l-1) \frac{2\pi}{T_c} \tag{4}$$

When assume the transmission bandwidth is pass-band null-to-null $2/T_{c1}$ and when G_{s1} is processing gain for single-code single-carrier DS-SS-CDMA

$$G_{s1} = \frac{T_b}{T_{c1}} \tag{5}$$

Spreading code duration and processing gain for multicode multicarrier are

$$T_c = \frac{M_s L + 1}{2} T_{c1}, \text{ and} \tag{6}$$

$$G_s = \frac{M_s L T_b}{T_c} = \frac{L T_m}{T_c} = \frac{T_s}{T_c} \tag{7}$$

Substitute T_{c1} from (6) to equation (5) hence :

$$T_b = \frac{2T_c}{M_s L + 1} G_{s1} \tag{8}$$

Substitute T_b from (8) to equation (7) so that processing gain for multi-code multicarrier CDMA system is

$$G_s = \frac{T_s}{T_c} = \frac{2M_s L}{M_s L + 1} G_{s1} \tag{9}$$

Received signal is

$$r(t) = n(t) + \sum_{i=1}^S \sum_{k=1}^{K_s} \sum_{m=1}^{M_s} \sum_{l=1}^L \sqrt{2P_s} b_{k,m,l}^{(s)}(t - \tau_k^{(s)}) \times c_{k,m}^{(s)}(t - \tau_k^{(s)}) \cos(\omega_l t + \phi_{k,l}^{(s)}) \tag{10}$$

where $\phi_{k,l}^{(s)} = \theta_{k,l}^{(s)} - \omega_l \tau_k^{(s)}$, P_s is received power and assumed for all user is in the same medium. ($s = 1, 2, \dots, S$). Assumed perfect power control for every medium. For example, P_1 is received power from medium 1 and P_2 is received power from medium 2, but P_1 is not same as P_2 . $\phi_{k,l}(t)$ is the different between $\theta_{k,l}$ and phase that caused by time delay. $\tau_k^{(s)}$ is time delay for user k from medium s .

3. BER Approximation

Standard Gaussian Approximation (SGA) is used, so that Multiple Access Interference (MAI) from another user assumed is random. No loss of generality, assuming that desire user is first user ($k = 1$) from medium s with focus on code to- m and subcarrier to- l . Output dari coherent matched filter in code to- m and subcarrier to- l from receiver are for user to- l from medium s is

$$z_{1,m,l}^{(s)} = \int_0^{T_s} r(t) c_1(t) \cos(\omega_l t + \alpha_{k,m}^{(s)}) dt \quad (11)$$

$\alpha_{k,m}^{(s)}$ is shifting phase in receiver. Output from previous matched filter can expressed be :

$$Z_{1,m,l}^{(s)} = D_{1,m,l}^{(s)} + N_{1,l}^{(s)} + I_{tot}^{(s)} \quad (12)$$

$$Z_{1,m,l}^{(s)} = D_{1,m,l}^{(s)} + N_{1,l}^{(s)} + I_1^{(s)} + I_2^{(s)} + I_3^{(s)} + I_4^{(s)} + I_5^{(s)} + I_6^{(s)} + I_7^{(s)} + I_8^{(s)} + I_9^{(s)} \quad (13)$$

$N_{1,l}^{(s)}$ is AWGN with zero mean, $I_{tot}^{(s)}$ is total interference that caused by code and subcarrier in medium s and medium i , $D_{1,m,l}^{(s)}$ is desired signal for user to- l from medium s in code to- m and subcarrier to- l .

When assumed the desire signal is signal from user to- l comes from medium s in code to- m and subcarrier to- l and $\omega_l \gg T_s^{-1}$ hence :

$$D_{1,m,l}^{(s)} = \sqrt{\frac{P_s}{2}} T_s \quad (14)$$

Signal noise $n(t)$ assumed have same spectrum for all the frequency allocated is $N_o/2$ (two-sided spectral density) and zero mean. Variance noise is given [7].

$$\sigma_n^2 = \frac{N_o}{4} T_s \quad (15)$$

4.1. Interference Variance

4.1.1. Interference from user and from the same medium

(a) Inteference from code and subcarrier from the same user in medium s .

This interference its caused by using of another code and another subcarrier from the same user in the medium s . In the system model, assumed that inter code and inter subcarrier in the same user have orthogonality so that interference will not occur [4]. This case will occur if there is no multipath fading. Assumed the sincronization is perfect and there is no delay path, so the interference that caused by self interference is zero. $I_1^{(s)} = 0$.

(b) Interference from the same code and the same subcarrier that used by another user.

This interference is categorize as interference in single-code single-carrier CDMA. If assumed time delay $\tau_k^{(s)}$ distributed uniformly with one bit duration T , ($0 \leq \tau_k^{(s)} \leq T_s$).

$$I_2^{(s)} = \sqrt{2P_s} \sum_{k=2}^{K_s} \int_0^{T_s} b_{k,m,l}^{(s)}(t - \tau_k^{(s)}) c_{k,m}^{(s)}(t - \tau_k^{(s)}) \times \cos(\omega_l t + \phi_{1,l}^{(s)}) c_{1,m}(t) \cos(\omega_l t + \alpha_{1,l}^{(s)}) dt \quad (16)$$

This kind of variance interference is [10]:

$$Var[I_2^{(s)}] = \sum_{k=2}^{K_s} \frac{P_s T_c^2 G_s}{6} \quad (17)$$

(c) Interference from same code and another subcarrier that used by another user.

This interference is inter-carrier interference.

$$I_3^{(s)} = \sqrt{2P_s} \sum_{k=2}^{K_s} \sum_{q=1, q \neq l}^L \int_0^{T_s} b_{k,m,l}^{(s)}(t - \tau_k^{(s)}) \times c_{k,m}^{(s)}(t - \tau_k^{(s)}) c_{1,m}(t) \cos(\omega_l t + \phi_{k,l}^{(s)}) \times \cos(\omega_q t + \alpha_{1,q}^{(s)}) dt \quad (18)$$

This kind of variance is [10]:

$$Var[I_3^{(s)}] = \sum_{k=2}^{K_s} \sum_{q=1, q \neq l}^L \frac{6P_s T_c^2 G_s}{4\pi^2 (q-l)^2} \quad (19)$$

(d) Interference from another code and same subcarrier that used by another user.

This interference caused by another code from the same subcarrier that used by another user.

$$I_4^{(s)} = \sqrt{2P_s} \sum_{k=2}^{K_s} \sum_{m'=1, m' \neq m}^{M_s} \int_0^{T_s} b_{k,m,l}^{(s)}(t - \tau_k^{(s)}) \times \cos(\omega_l t + \alpha_{1,l}^{(s)}) dt \times c_{k,m}^{(s)}(t - \tau_k^{(s)}) c_{1,m}(t) \cos(\omega_l t + \phi_{k,l}^{(s)}) \quad (20)$$

Variance from this interference is

$$Var[I_4^{(s)}] = \sum_{k=2}^{K_s} \frac{P_s T_c^2}{12G_s} (M_s - 1) \left(1 - \frac{\pi^2}{6}\right) \quad (21)$$

(e) Interference from another code and another subcarrier that used by another user.

This interference caused by another code and another subcarrier that used by another user.

$$I_5^{(s)} = \sqrt{\frac{P_s}{2}} \sum_{k=2}^{K_s} \sum_{m'=1, m' \neq m}^{M_s} \sum_{q=1, q \neq l}^L \int_0^{T_s} b_{k,m,l}^{(s)}(t - \tau_k^{(s)}) \times c_{k,m}^{(s)}(t - \tau_k^{(s)}) c_{1,m}(t) \times \cos[(\omega_q - \omega_l)t + \phi_{k,q}^{(s)} - \alpha_{1,q}^{(s)}] dt \quad (22)$$

The variance from this interference is

$$Var[I_5^{(s)}] = \sum_{k=2}^{K_s} \sum_{q=1, q \neq l}^L \frac{6P_s T_c^2 (M_s - 1) G_s}{4\pi^2 (q-l)^2} \quad (23)$$

4.1.2. Interference from user in the different medium

(a) Interference from different code and different subcarrier that used by another user.

If assumed that user to- k from medium s that is as a reference user and integrator medium is medium i ($i = 1, 2, \dots, S$), where $i \neq s$ and assumed also that time delay from integrator user $\tau_k^{(i)}$ distributed uniformly with 1 bit period from integrator user is T_i , where $0 \leq \tau_k^{(i)} \leq T_i$.

$$I_6^{(s)} = \sqrt{\frac{P_i}{2}} \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \int_0^{T_i} b_{k,m,l}^{(i)}(t - \tau_k^{(i)}) \times c_{k,m}^{(i)}(t - \tau_k^{(i)}) c_{1,m}(t) \cos \phi_{k,l} dt \quad (24)$$

Where $\phi_{k,l} = \theta_{k,l} - \omega_l \tau_k$, P_i is received power from user in medium to- l . G_i is processing gain from medium i as an integrator. T_i is bit duration from user in the medium i . This kind of interference is [10]:

$$Var[I_6^{(s)}] = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \frac{P_i T_c^3 G_s G_i}{6 T_i} \quad (25)$$

(b) Interference from the same code and another subcarrier.

This interference caused by another subcarrier from user in medium i

$$I_7^{(s)} = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{q=1, q \neq l}^L \sqrt{\frac{P_i}{2}} \int_0^{T_s} b_{k,m,l}^{(i)}(t - \tau_k^{(i)}) \times c_{k,m}^{(i)}(t - \tau_k^{(i)}) c_{1,m}(t) \times \cos\left[(\omega_q - \omega_l)t + \phi_{k,q}^{(i)} - \alpha_{k,l}^{(i)}\right] \quad (26)$$

This kind of variance is [10] :

$$Var[I_7^{(s)}] = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{q=1, q \neq l}^L \frac{P_i T_c^3 G_s G_i}{2 T_i \pi^2 (q-l)^2} \quad (27)$$

(c) Interference from another code and the same subcarrier.

This interference caused by another code in the same subcarrier from the user in medium i .

$$I_8^{(s)} = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{m=1, m' \neq m}^{M_i} \sqrt{\frac{P_i}{2}} \int_0^{T_s} b_{k,m',l}^{(i)}(t - \tau_k^{(i)}) \times c_{k,m}^{(i)}(t - \tau_k^{(i)}) c_{1,m}(t) \cos^2(\omega_l t) dt \quad (28)$$

Using the process like the interference that caused by another code and the same subcarrier from another user in the same medium, so that the variance from this interference is

$$Var[I_8^{(s)}] = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{m=1, m' \neq m}^{M_i} \frac{P_i T_i^2}{12 G_i^3} M_i \left(1 - \frac{\pi^2}{6}\right) \quad (29)$$

Substitute the formula of processing gain from another medium G_i to equation (29), hence :

$$Var[I_8^{(s)}] = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{m=1, m' \neq m}^{M_i} \frac{P_i T_c^3}{12 T_i} M_i \left(1 - \frac{\pi^2}{6}\right) \quad (30)$$

(d) Interference from another code and another subcarrier.

This Interference caused by another code and another subcarrier from user and from medium i .

$$I_9^{(s)} = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{m=1, m' \neq m}^{M_i} \sum_{q=1, q \neq l}^L \sqrt{\frac{P_i}{2}} \times \int_0^{T_s} b_{k,m',q}^{(i)}(t - \tau_k^{(i)}) c_{k,m}^{(s)}(t - \tau_k^{(i)}) c_{1,m}(t) \times \cos\left[(\omega_q - \omega_l)t + \phi_{k,q}^{(i)} - \alpha_{k,l}^{(s)}\right] dt \quad (31)$$

The variance of this kind of interference is

$$Var[I_9^{(s)}] = \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{q=1, q \neq l}^L \frac{P_i T_c^3 M_i G_s G_i}{2 T_i \pi^2 (q-l)^2} \quad (32)$$

Substitute the desired signal, noise signal, interference from medium s and interference from medium i , so the average Bit Error Rate (BER) equation in medium s is

$$BER_s = \frac{1}{L} \sum_{l=1}^L \frac{1}{2} \operatorname{erfc}(\sqrt{SINR}) \quad (33)$$

$$SINR = \frac{D_1}{\sqrt{Var[\eta] + Var[I_{tot}^{(s)}]}} \quad (34)$$

$$\begin{aligned}
 \text{Var}[I_{tot}^{(s)}] = & \text{Var}[I_1^{(s)}] + \text{Var}[I_2^{(s)}] + \text{Var}[I_3^{(s)}] \\
 & + \text{Var}[I_4^{(s)}] + \text{Var}[I_5^{(s)}] + \text{Var}[I_6^{(s)}] \\
 & + \text{Var}[I_7^{(s)}] + \text{Var}[I_8^{(s)}] + \text{Var}[I_9^{(s)}]
 \end{aligned} \tag{35}$$

$$\begin{aligned}
 \text{SNR}^{-1} = & \frac{N_0}{2E_b} + \sum_{k=2}^{K_s} \frac{T_c^2 G_s}{3T_s^2} + \sum_{k=2}^{K_s} \sum_{q=1, q \neq k}^L \frac{3T_c^2 G_s}{\pi^2 T_s^2 (q-l)^2} \\
 & + \sum_{k=2}^{K_s} \frac{T_c^2 (Ms-1)}{2T_s^2 G_s} \left(1 - \frac{\pi^2}{6}\right) \\
 & + \sum_{k=2}^{K_s} \sum_{q=1, q \neq k}^L \frac{T_c^2 (Ms-1) G_s}{\pi^2 T_s^2 (q-l)^2} \\
 & + \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \frac{P_i T_c^3 G_s G_i}{3T_i P_i T_s^2} \\
 & + \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{q=1, q \neq k}^L \frac{P_i T_c^3 G_s G_i}{\pi^2 T_i P_i T_s^2 (q-l)^2} \\
 & + \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{m=1, m \neq k}^{M_i} \frac{P_i T_c^3}{6T_i P_i T_s^2} M_i \left(1 - \frac{\pi^2}{6}\right) \\
 & + \sum_{i=1, i \neq s}^S \sum_{k=1}^{K_i} \sum_{q=1, q \neq k}^L \frac{P_i T_c^3 G_s G_i M_i}{\pi^2 T_i P_i T_s^2 (q-l)^2}
 \end{aligned} \tag{36}$$

where $E_b = P_s T_s$ dan signal to noise ratio adalah $\text{SNR} = \frac{2E_b}{N_0}$.

5. The Performance of Multi-code Multicarrier CDMA S-ALOHA

According its called Slotted Aloha, that will change the protocol from continuous time to slotted time. We will observe the time as sequence slot and duration T , where one frame can be send to each of slot. In transmitter assuming that the sincronization has been happen so that all the transmission can start in the first slot. When the frame is transmitted during as a time slot, that frame is in queue in first time slot. Therefore, one frame just compete with another frame that have the same time slot, this thing will reduce the time of contention from two times frame to one time frame. This thing makes maximum throughput from Slotted-Aloha become two times bigger than maximum throughput P-Aloha. Traffic load (G) will change according to the time, note that if the number of packets that face backlogged increasing, G will increasing. In this discuss we assuming that the number of of user is unlimited with lenght of packet is constant. Another else we also assume that when the packet is arrive, that packet will be transmitted in another slot after. If the collision occur so the node will backlogged. Backlogged node will transmit the packet in every slot with probability q until success. The number of simultaneous transmission from the system in slot duration have given by the stedy state probability from Poisson process, this case follows that

$$P(K, G) = \frac{\left(\frac{G}{M_s \cdot L}\right)^K}{K!} \exp\left(-\frac{G}{M_s \cdot L}\right) \tag{37}$$

$P(K, G_{S-Aloha})$ as a probability in K user that raise $Ms.L.K$ subpacket in one slot duration. $G_{S-Aloha}$ is load traffic, the average of subpacket that sent in one slot duration. In Poisson Model assuming that users are unlimited because generally it can give approximation near to a real condition in the network with many stations.

Systematically throughput value can be written in

$$S = \sum_{k=1}^{\infty} M_s \cdot L \cdot K \cdot P(K, G) \cdot P_a \quad (38)$$

Where M_s is the number of code in medium s , L is the number of subcarrier that used and K is the number of user. P_a is the probability success in transmission of subpacket in the S-Aloha system. Can be written in form

$$P_a = \left(1 - (BER_s)_{mc-mc}\right)^{L_b} \quad (39)$$

with L_b is the length of transmitted bit

6. Result and Analysis

Based on figure 1, we can observe that the performance of throughput in MC-MC-CDMA S-ALOHA with single medium better than dual medium because in the dual medium system, the interference it just not because of code and subcarrier from the same medium but because of code and subcarrier from different medium.

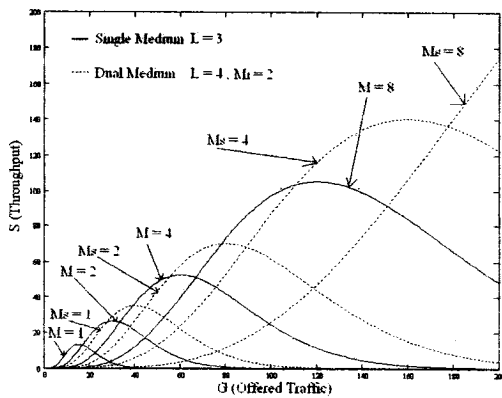


Figure 1. Throughput analysis MC-MC-CDMA S-ALOHA in single medium and dual medium system with $G_s^1 = 32$, $G_i^1 = 64$, $K_s = 200$, $K_i = 50$, $L = 2$, $M_i = 2$, dan M_s in variation

7. Conclusion

1. Throughput system of multi-code multicarrier CDMA S-ALOHA in dual medium in the AWGN channel has been analyzed
2. Throughput system of multi-code multicarrier CDMA S-ALOHA is better than multi-code CDMA or multicarrier CDMA S-ALOHA system.
3. Throughput system of multi-code multicarrier CDMA S-ALOHA in single-medium is better than dual-medium.

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